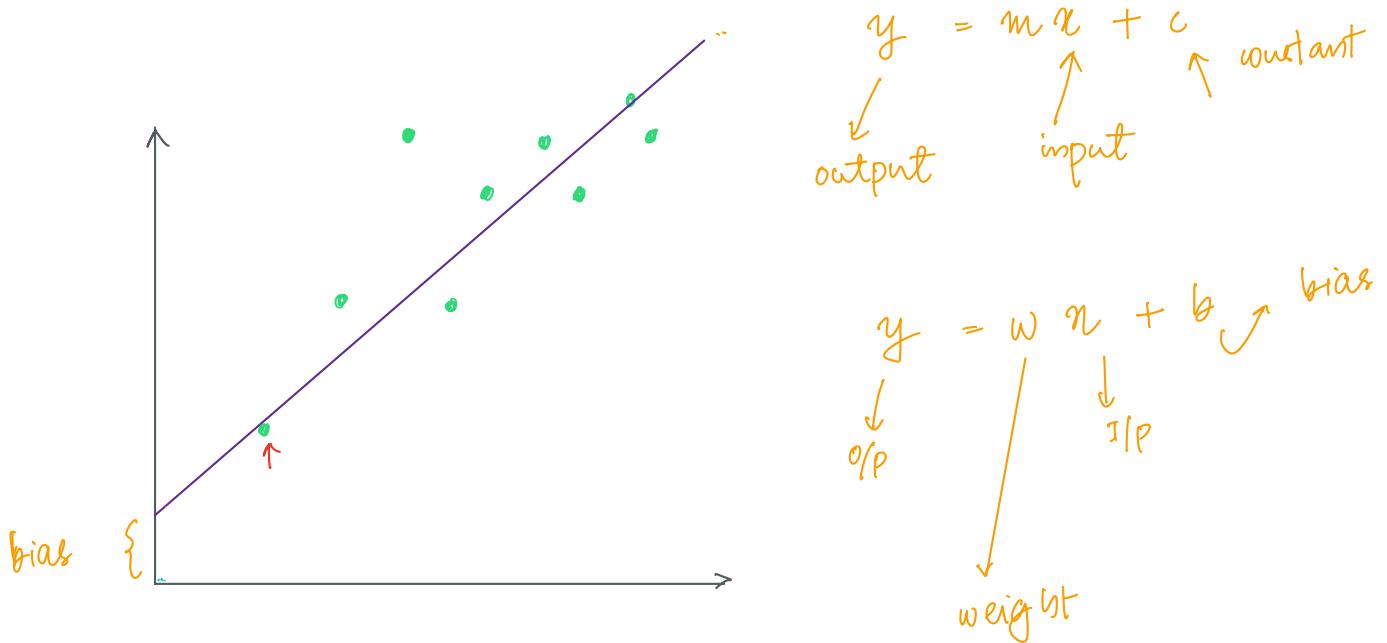
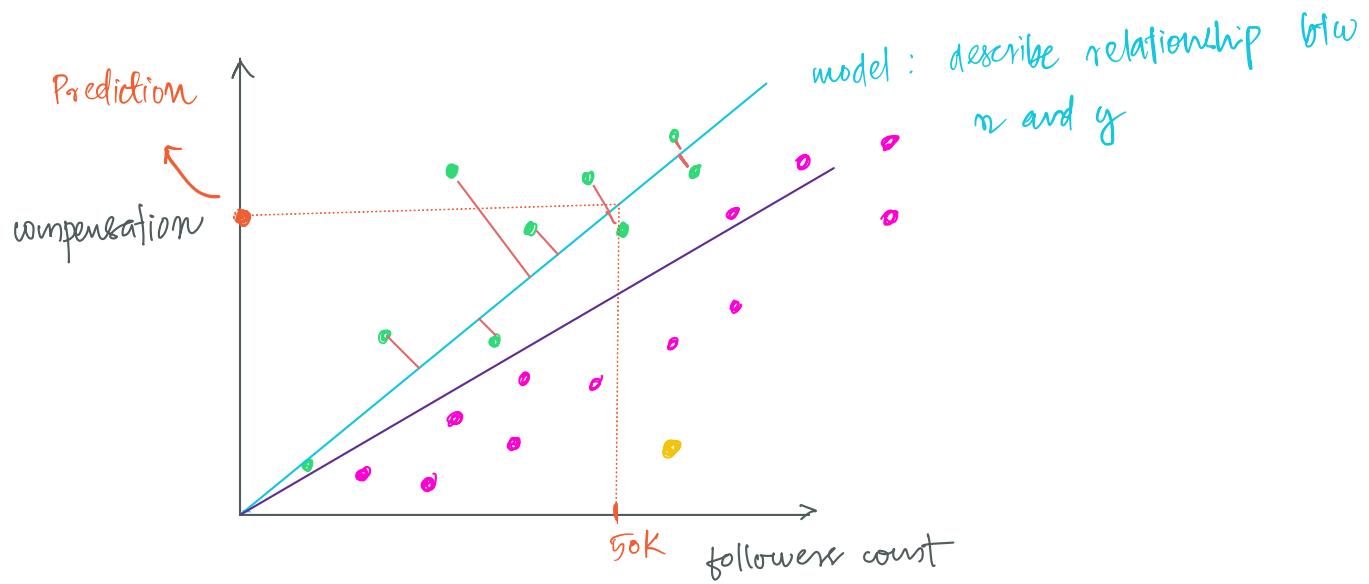


followers count → compensation for posting a brand's content



Linear : $y = w_1 x_1 + w_2 x_2 + \dots + w_n x_n + b$

Regression

$n \rightarrow$ no of features

Loss

1. sum of errors :

$$\sum_{(x,y) \in D} y - y'$$

y - observation

y' - prediction

2. sum of absolute Error

$$\sum_{(x,y) \in D} |y - y'|$$

3. Mean of sum of absolute error (MAE)

$$L_1 \text{ Loss} = \frac{1}{N} \sum_{(x,y) \in D} |y - y'|$$

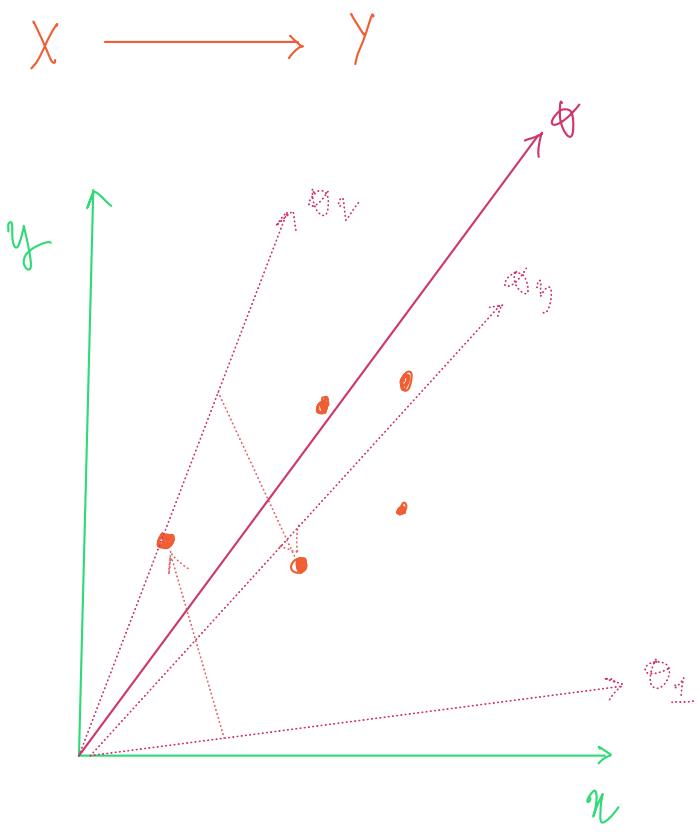
$N \rightarrow$ no. of examples

4. sum of squared error

$$= \sum (y - y')^2$$

5. Mean of sum of squared error = MSE

$$L_2 \text{ Loss} = \frac{1}{N} \sum (y - y')^2$$

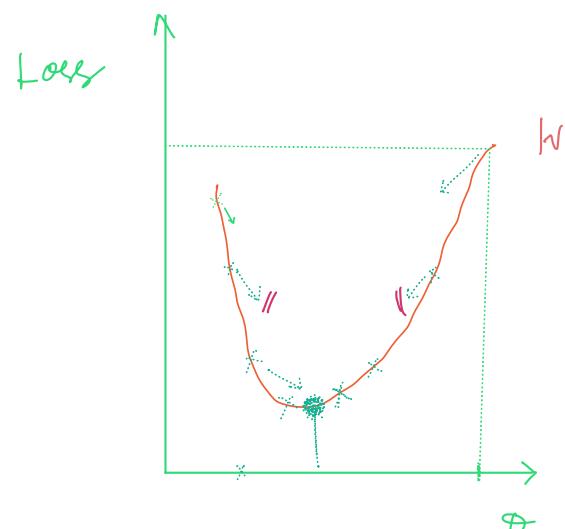


$$y = w x + b$$

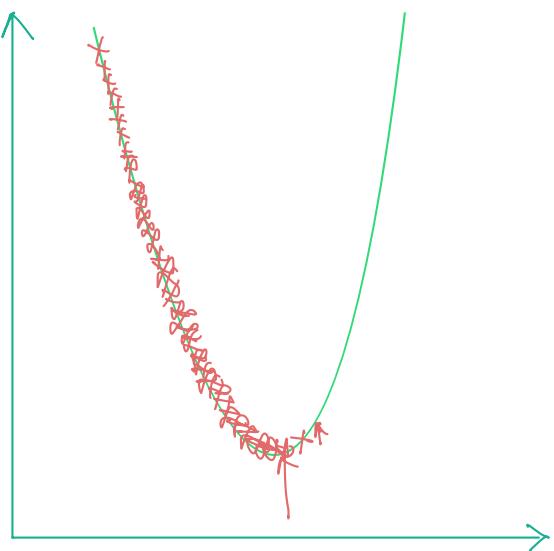
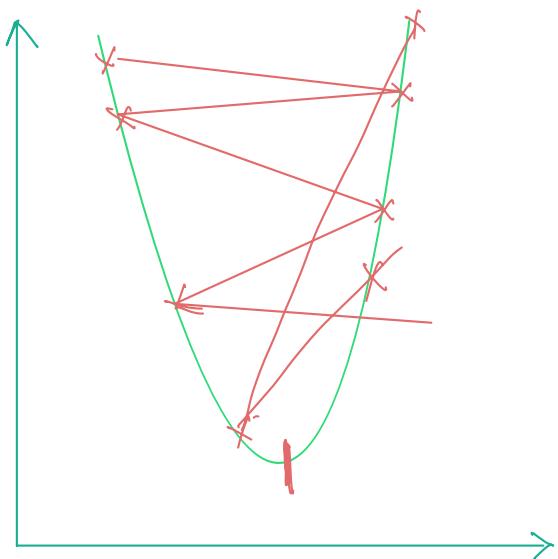
↑ ↑

$y = \theta x$

hyperparameter

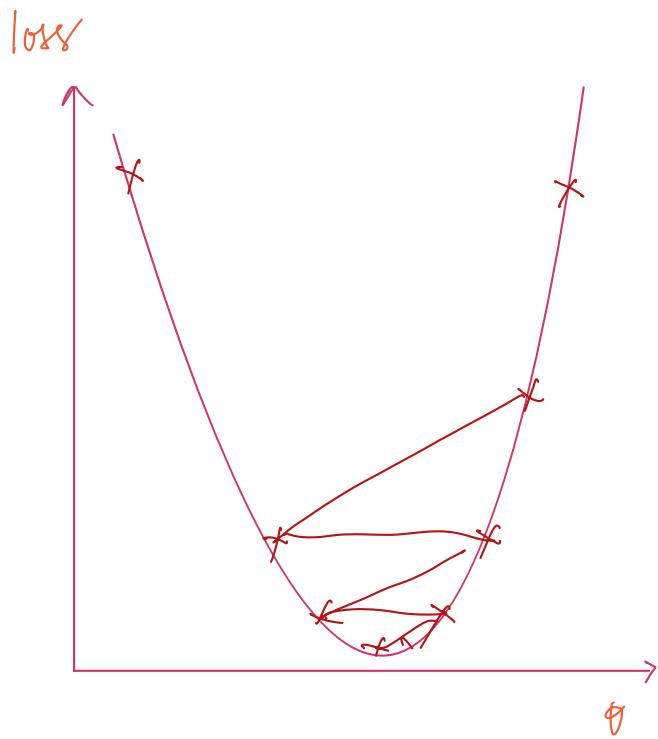


Learning Rate \rightarrow hyperparameter



Stochastic

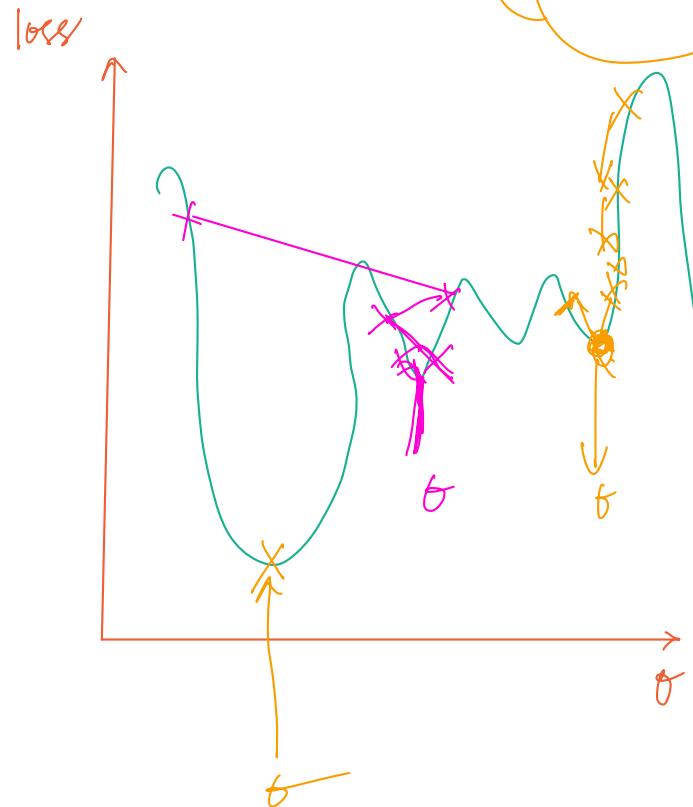
one example at a time



Mini Batch

10 - 100

Stochastic
gradient
descent



Does it matter where we start?

Regularisation

Overfitting → High variance

amount that the prediction will change if training data changes.

Regularisation

Constraining the model complexity

Data Augmentation

1. L1 / L2 Regularisation

Add weights to cost calculation

2. Dropout

3. Early stopping

L1 Regularisation

Rumbr

L1 loss - absolute errors

L2 loss - squared errors.

$$w = \text{minimise loss} + \text{Regularisation}$$

$$\text{minimise loss} + \lambda \times \text{regulariser(Model)}$$



strengths

Linear Regression:

$$\begin{aligned}y' &= \sum_i w_i x_i \\ \text{Loss} &= \sum (y_i - w_i x_i)^2 \\ w &= \arg \min \sum (y_i - w_i x_i)^2\end{aligned}$$

LASSO

$$w^L = \arg \min \sum (y - y')^2 + \lambda |w|$$

↳ absolute values of weights

pushes the weights closer to 0

L2 Regularisation

$$w^{L2} = \arg \min \sum (y - y')^2 + \frac{\lambda}{2} \|w\|^2$$



Ridge Regression

Tuning λ (0 to 1)

too strong \rightarrow underfit

too small \rightarrow still overfits

Dropout \rightarrow will discuss later

Early stopping \rightarrow discussed earlier

Data augmentation :

create variations of data